

THE DESIGN, IMPLEMENTATION AND EVALUATION OF MULTI-LAYER SYSTEMS

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Abstract—Systems are pervasive in numerous high effect areas. Additionally, cross-space associations are been seen in numerous applications, which normally frame the conditions between various systems. Such sort of very coupled system frameworks are considered as multi-layered systems, and is been used to depict different complex frameworks, including basic foundation systems, digital physical frameworks, cooperation stages, organic frameworks and some more.

Unique with reference to single-layered systems where the usefulness of their hubs is for the most part influenced by inside layer associations, multi-layered systems are more defenseless against unsettling influence as the effect can be enhanced through cross-layer conditions, prompting the course inability to the whole framework. To control the availability in multi-layered systems, some ongoing approaches is been proposed in view of two-layered systems with particular sorts of network measures. In this paper, we represent the above difficulties in numerous measurements.

Initially, we recommend a bunch of availability measures (SUBLINE) that binds together an extensive variety of great system network measures. Third, we uncover that the network measures in SUBLINE family appreciate consistent losses property, which ensures a close ideal arrangement with straight many-sided quality for the availability enhancement issue. At last, we evaluate our proposed calculation on genuine informational indexes to exhibit its adequacy and effectiveness.

Index Terms—Network Connectivity, Multi-layered Networks.

1 INTRODUCTION

Systems normally emerge from numerous high effect spaces. Basically, the cross-space collaborations between systems are mostly seen in numerous applications. The subsequent reliant systems normally shape a kind of multi-layered systems [1], [2], [3], [4].

Basic foundation framework is an exemplary case for multi-layered system as appeared in Fig1. In this framework, the power stations in the power lattice are utilized to give power to switches in the self-ruling framework arrange (AS system) and vehicles in the transportation organize; while the AS system thusly are likely to give correspondence components to keep control matrix and transportation arrange work all together.

Then again, for some coal-let go or gas-let go control stations, a well-working transportation arrange is required to supply fuel for those power stations. Along these lines, the between subordinate three layers in the framework shape a triangular reliance arrange. Another case is the association level joint effort stage, where the group arrange is upheld by the interpersonal organization, interfacing its worker pool, which additionally cooperates with the data arrange, connecting to its information base. Besides, the informal community layer might have an implanted multi-layered structure, thus does the data organize.

In this application, the distinctive layers frame a tree-organized reliance arrange established on the group organize layer. Not the same as single-layered systems, multi-layered systems are more helpless against outside assaults on the grounds that their hubs can be influenced by both inside layer associations and crosslayer conditions. That is, even a little unsettling influence in one layer/system might be opened up in all its needy systems through cross-layer conditions, and cause course inability to the whole framework. For instance, when the supporting offices (e.g., control stations) in a metropolitan region are decimated by catastrophic events like sea tempests or quakes, the subsequent power outage would not just put a huge no. of peoples in dim for quite a while, yet in addition deaden the telecom system and cause an extraordinary

interference on the transportation arrange. In this manner, it is of key significance to recognize essential hubs in the supporting layer/arrange, whose misfortune would prompt a calamitous disappointment of the whole framework, with the goal that the counter measures can be taken proactively.

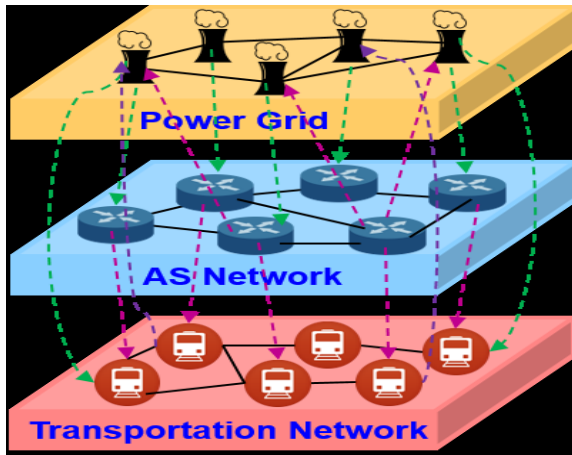


Fig1.A simplified example of multi-layered network.

Then again, openness issues broadly exist in multi-layered system mining errands. To control the availability in layers with constrained openness, one can just effort throughout the hubs from open layers that have huge effect to target layers. Taking the multi-layered system referenced in Figure2(a) for instance, expect that the main open layer in the framework is the control layer and the target is to limit the availability in the satellite correspondence layer all the while under k assaults, the main technique we could embrace is to choose an arrangement of k hubs from the control layer, whose disappointment would cause biggest lessening.

To handle the availability optimization issue in multilayered systems, extraordinary endeavors is invented using distinctive research territory for controlling two-layered related net-1. In this manuscript, network streamlining issue is characterized as limiting the availability of an objective layer by evacuating a settled number of hubs in the control layer (allude to the point by point definition in Section 4). work frameworks [1], [2], [4], [5], [6].

Albeit much advance has been made, two key difficulties have generally stayed open. At initial point (availability measures), there does not exist one single system network measure that is better than every single other measure; but instead a few network measures are predominant in the writing (e.g., power [11], weakness [8], triangle tallies). Every current enhancement calculations on multi-layered systems is custom fitted specifically for one availability measure. It isn't clear if a calculation intended for

specifically one availability measure is as yet material to different measures. So how might the idea of a non specific improvement system that applies to an assortment of common system network measures? Second (availability enhancement), an improvement methodology custom fitted for two-layered systems may be problematic, or notwithstanding deceptive to multi-layered systems, e.g., in the event that enhance the network in various layers by controlling one basic supporting layer. On the theoretic side, the optimality of the availability streamlining issue of non specific multi-layered systems is to a great extent obscure. This paper plans to address difficulties, and the fundamental commitments can be condensed as

- **Connectivity Measures.** A bunch of predominant system availability measures (SUBLINE), which are in close connection to an assortment of vital system parameters (e.g., scourge edge, arrange heartiness, triangle limit)..
- **Connectivity Optimization.** For any framework organize measures in the SUBLINE family, the accessibility change issue with the proposed MULAN show acknowledges the reliable misfortunes property, which typically fits a gathering of provable close perfect headway figuring's with straight disperse quality.
- **Empirical Evaluations.** We perform expansive trials in perspective of certified enlightening accumulations to favor the feasibility and capability of the proposed estimations.

II. THE MULTI-LAYERED NETWORK MODEL

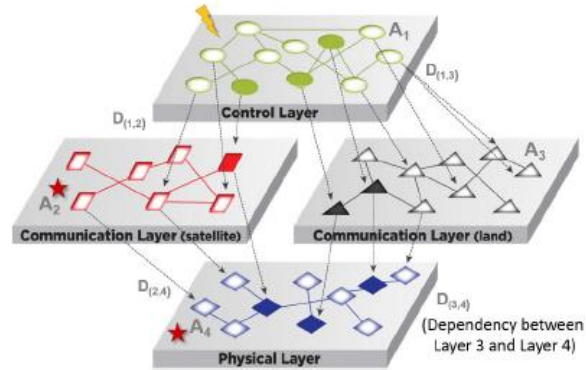
In this segment, we present the multi-layered system display that concedes a subjective number of layers with self-assertive reliance structure among various layers. The primary images utilized all through the paper (Table 1). We utilize intense capitalized letters for lattices (e.g., A , B), striking lower case letters for section vectors (e.g., a , b) and calligraphic text style for sets (e.g., \mathcal{A} , \mathcal{B}). The interchange of a lattice is meant with a prime, i.e., A_0 is the interchnge of grid A . With the above documentation, we utilize the accompanying meaning of multi-layered systems as in [9].

Definition 1. A Multi-layered Network Model (MULAN). Given

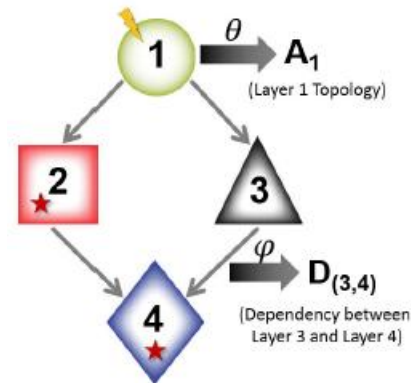
- (1) a dual $g \times g$ abstract layer-layer enslavement network G , where $G(i; j) = 1$ indicates layer- j depends on layer- i (or layer- i supports layer- j), $G(i; j) = 0$ means that no direct dependency from layer- i to layer- j ;
- (2) a set of within layer adjacency matrices $\mathcal{A} = \{A_1, \dots, A_g\}$ a set of cross layer node-node dependency matrices D , indexed by pair $(i; j)$,

TABLE 1

Symbol	Definition and Description
A, B	the adjacency matrices (bold upper case)
a, b	column vectors (bold lower case)
\mathcal{A}, \mathcal{B}	sets (calligraphic)
$A(i, j)$	the element at i^{th} row j^{th} column in matrix A
$A(i, :)$	the i^{th} row of matrix A
$A(:, j)$	the j^{th} column of matrix A
A'	transpose of matrix A
G	the layer-layer dependency matrix
\mathcal{A}	networks at each layer of MULAN
$\mathcal{A} = \{A_1, \dots, A_g\}$	
\mathcal{D}	cross-layer node-node dependency matrices
θ, φ	one to one mapping functions
Γ	multi-layered network MULAN
$\Gamma = \langle G, \mathcal{A}, \mathcal{D}, \theta, \varphi \rangle$	
$S_i, \mathcal{T}_i, \dots$	node sets in layer A_i (calligraphic)
$S_{i \rightarrow j}$	nodes in A_j that depend on nodes S in A_i
$\mathcal{N}(S_i)$	nodes and cross-layer links that depend on S_i
m_i, n_i	number of edges and nodes in layer A_i
$\lambda_{\langle A, j \rangle}, \mathbf{u}_{\langle A, j \rangle}$	j^{th} largest eigenvalue (in module) and its corresponding eigenvector of network A
λ_A, \mathbf{u}_A	first eigenvalue and eigenvector of network A
$C(A)$	connectivity function of network A
$I_A(S_i)$	impact of node set S_i on network A
$\bar{I}(S_i)$	overall impact of node set S_i on MULAN



(a) A four-layered network
 (b)



(b) The corresponding layer-layer dependency network G

Fig. 2. An illustrative example of MULAN model

\mathcal{D} is a set of matrices: $D_{(1,2)}, D_{(1,3)}, D_{(2,4)},$ and $D_{(3,4)}$. For example, $D_{(3,4)}$ describes the node-node dependency between layer-3 and layer-4. The one-to-one mapping function θ maps node 1 (i.e., Layer 1) in G to the within-layer adjacency matrix of layer-1 (A_1); and the one-to-one mapping utility φ maps edge $\langle 3, 4 \rangle$ in G to the cross-layer node-node dependency matrix $D_{(3,4)}$.

MODULES

➤ User Interface Design

It assumes a vital part for the client to move login the Application. This module has made for the security reason. In this login page enter client name and watchword, it will check username and secret word, if substantial means specifically go to landing page, invalid username or watchword implies demonstrate the wrong message and divert to enlistment page. So we are keeping from

For straightforwardness, we confine the inside layer contiguousness grids A_i to be basic (i.e., no self-circles), symmetric and double; and the expansion to the weighted, hilter kilter case is direct. Requirement of cross-layer reliance organize G to be an un-weighted chart with subjective reliance structure. Notice that contrasted and the current match savvy two-layered models, MULAN permits a significantly more adaptable and confounded reliance structure among various layers. For the cross-layer hub reliance framework $D(i;j), D(i;j)(s; t) = 1$ shows that hub s in layer I bolsters hub t in layer j . Fig. 2(a) presents a case of a four-layered system. layer-1 is the supporting layer. Layer-2 and layer-3 specifically rely upon layer-1 (e.g., one speaks to a correspondence layer by satellites and alternate speaks to another correspondence layer in landlines, individually), while layer-4 (e.g., the physical layer) relies upon both correspondence layers (layer-2 and layer-3). The preoccupied layer-layer reliance organize (G) is appeared in Figure 2(b). means the inside layer contiguousness lattices, which portrays the system topology in the comparing layer.

unapproved client going into the login page to client page. It will give a decent security to our undertaking.

Use Case Diagram

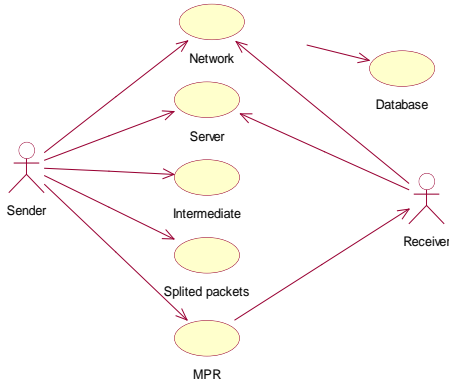


Fig. 3. Proposed System Modules

➤ Message to part parcel

At the point when the channel has a MPR capacity, which implies that the AP can translate effectively up to synchronous parcel transmissions, the throughput scales straightly with M in the opened Aloha convention with a vast populace and a limited populace. In particular, their outcome infers that the achievable throughput per unit cost (MPR-ability) increments with the MPR capacity of the channel. Their outcome gives a solid motivation to send MPR in the people to come.

➤ Distributed System

In light of the determined ideal transmission likelihood in the opened Aloha convention with MPR, a straightforward conveyed calculation to assessing the amount of dynamic hubs (i.e., hubs that have parcels prepared for transmission) at runtime. By watching the amount of effective transmissions in an opening, every hub can get a gauge of the amount of dynamic hubs and utilize this gauge to tune its transmission likelihood.

➤ Traffic investigation

Investigation the movement between two hub information exchange. The information will send with parcel configuration and circulate to beneficiary. To investigation the way for long haul change of message of collector hub. The time is divided into spaces and bundle transmissions begin just toward the start of an opening. Prior to every transmission to check the way movement. The way toward capturing and looking at messages with a specific end goal to conclude data from designs in correspondence.

➤ Multi bundle gathering

Multi-bundle gathering procedures, it is feasible for a beneficiary to get different parcels transmitted simultaneously. the ideal transmission likelihood in the CSMA convention with MPR with the supposition that the number N of dynamic hubs is known from the earlier. The opened Aloha convention utilizing part the bundle and various parcel gathering is get the all bundles at time in irregular procedure to beneficiary side. Multi-parcel gathering process in beneficiary side.

III. UNIFICATION OF CONNECTIVITY MEASURES

In this segment, we show a brought together view for an assortment of predominant system availability measures. The key of our bound together availability measure (alluded to as SUBLINE in this paper) is to see the network of the whole structure as a conglomeration over the network measures of its sub-systems (e.g., subgraphs), that is

$$C(A) = \sum_{\pi \subseteq A} f(\pi) \quad (1)$$

where π is a subgraph of A. The non-negative function $f: \pi \rightarrow \mathbb{R}^+$ maps any subgraph in A to a non-negative realnumber and $f(\phi) = 0$ for empty set ϕ . Weview the connectivity of the entire network ($C(A)$) as the sum of the connectivity of all the subgraphs ($f(\phi)$). Based on suchconnectivity definition, The impact function of agiven set of nodes S as follows

$$I(S) = C(A) - C(A \setminus S) \quad (2)$$

where $A \setminus S$ is the residual network after removing node set S from the original network A.

In multi-layered networks, as the functionality of each knob depends on (1) the well-functioning of its depended knob(s) and (2) its within-layer associations, the collision of knob set S_i of layer-j can be measures as the impact of all its dependents (either directly or indirectly) on the connectivity of layer-j (i.e. $I(S_{i-j})$). In the example in Fig. 2(a), the impact of S_1 on layer-4 is $I(S_{1-4}) = I((S_{1-2})_{2-4} \cup (S_{1-3})_{3-4})$. Based

on eq. (2), we can define the overall impact of node set S_i on A_j on the multi-layered network system as

$$I(S_i) = \sum_{j=1}^g \alpha_j I(S_{i-j}) = \sum_{j=1}^g \alpha_j (C(A_j) - C(A_j \setminus S_{i-j})) \quad (3)$$

where $\alpha = [\alpha_1, \dots, \alpha_g]^T$ is a $g \times 1$ non-negative weight vector that appoints distinctive weights to various layers in the framework, A pre-characterized parameter relying upon the application undertaking. We can say that themes (characterized in [10]) are subnetworks too. By setting capacity f as non-negative constants, numerous common system network measures can be lessened to SUBLINE

availability measures; and we give three unmistakable cases underneath, including (1) the way limit; (2) the circle limit; and (3) the triangle limit.

System Architecture

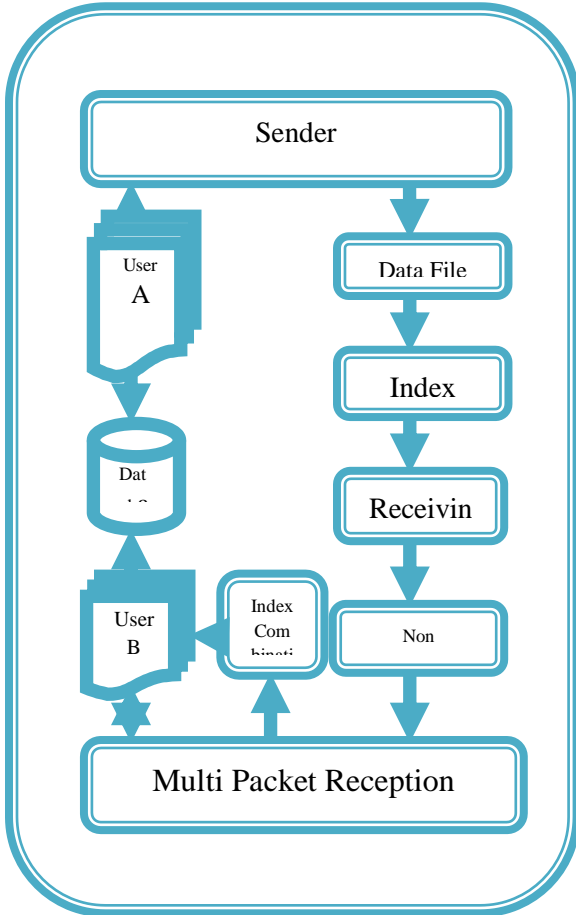


Fig. 4: Proposed System Architecture

IV. CONNECTIVITY OPTIMIZATION

In this segment, we initially characterize the availability advancement issue (OPERA) on multi-layered system show (MULAN); at that point disclose its major theoretic properties; and last propose a non specific algorithmic structure to tackle it.

A. OPERA: Problem Statement

We formally define the connectivity optimization problem(OPERA) on the proposed MULAN model for multi-layered networks as follows.

Problem 1. OPERA on MULAN

Given: (1) a multi-layered network $\Gamma = \langle G, A, D, \theta, \varphi \rangle$; (2) a control layer A_l ; (3) an effect work $I(\cdot)$; and (4) a whole number k as task spending plan; Output: an arrangement of

k hubs S_l from the control layer (A_l) with the end goal that $I(S_l)$ (the general effect of S_l) is expanded. In the above definition, the control layer A_l demonstrates the wellsprings of the 'assault'; and the gx_1 vector shows the objective

layer(s) and in addition their relative weights. For example, in Fig. 2(a), we can pick layer-1 as the control layer (demonstrated by the strike sign); and set $= [0 \ 1 \ 0 \ 1]_0$, which implies that both layer-2 and layer-4 are the objective layers (showed by the star signs) with level with

weights between them. Once a subset of hubs S in layer-1 are assaulted/erased (e.g., shaded circle hubs), every one of the hubs from layer-2 and layer-3 that are subject to S (e.g., shaded parallelogram and triangle hubs) will be handicapped/erased, which will thus cause the disfunction of the hubs in layer-4 (e.g., shaded precious stone hubs) that rely upon the influenced hubs in layer-2 or layer-3. We will probably pick k hubs from layer-1 that have the maximal effect on both layer-2 and layer-4, i.e., to all the while diminish the availability $C(A_2)$ and $C(A_4)$ however much as could reasonably be expected.

B. OPERA: Theory

In this subsection, we exhibit the major hypothetical consequences of the availability enhancement issue (OPERA) on multi-layered systems characterized in Problem 1. It says that for any network work $C(A)$ in the SUBLINE family (eq. (1)), for any multi-layered system in the MULAN family (Definition 1), the network improvement issue (OPERA, Problem 1) bears consistent losses property. Give us a chance to begin with the base case, where there is just a single information arrange. In this case, $\square = \langle G; A; D; _ \rangle$ in Problem 1 ruffians to a solitary layered system A , which is both the control layer and the sole control target (i.e., $_ = 1$, and $l = 1$). With such a setting, Lemma 1 says that OPERA appreciates the consistent losses property, that is, the general effect work $I(S_1)$ (which for this situation savages to $I(S)$, i.e., the effect of the hub set S on organize A_n itself) is (a) monotonically nondecreasing; (b) sub-secluded; and (c) standardized.

Lemma 1. retreating proceeds assets of a Single-layered Network. Given a simple undirected, un-weighted network A , for any connectivity function $C(A)$ in the SUBLINE family, the impact function $I(S)$ is (a) monotonically non-decreasing; (b) sub-modular; and (c) normalized, where $S \subseteq A$.

Proof. By the definition of the connectivity function $C(A)$ (eq. (1)), we have

$$I(S) = \sum_{\pi \subseteq A} f(\pi) - \sum_{\pi \subseteq A \setminus S} f(\pi) = \sum_{\pi \subseteq A, \pi \cap S \neq \emptyset} f(\pi)$$

where Φ is the empty set. Apparently, we have $I(\Phi) = 0$ since $f(\Phi) = 0$. In other words, the impact function $I(S)$ is normalized.

Let $\mathcal{I}, \mathcal{J}, \mathcal{K}$ be three sets and $\mathcal{I} \subseteq \mathcal{J}$. We further define threesets as follows: $\mathcal{S} = \mathcal{I} \cup \mathcal{K}$, $\mathcal{T} = \mathcal{J} \cup \mathcal{K}$, $\mathcal{R} = \mathcal{J} \setminus \mathcal{I}$.

We have

$$\begin{aligned} I(\mathcal{J}) - I(\mathcal{I}) &= \sum_{\pi \subseteq \mathcal{A}, \pi \cap \mathcal{J} \neq \Phi} f(\pi) - \sum_{\pi \subseteq \mathcal{A}, \pi \cap \mathcal{I} \neq \Phi} f(\pi) \\ &= \sum_{\pi \subseteq \mathcal{A}, \pi \cap (\mathcal{J} \setminus \mathcal{I}) \neq \Phi} f(\pi) = \sum_{\pi \subseteq \mathcal{A}, \pi \cap \mathcal{R} \neq \Phi} f(\pi) \\ &\geq 0 \end{aligned}$$

which proves the monotonicity of the impact function $I(S)$.

Let us define another set $\mathcal{P} = \mathcal{T} \setminus \mathcal{S}$. We have that $\mathcal{P} = (\mathcal{J} \cup \mathcal{K}) \setminus (\mathcal{I} \cup \mathcal{K}) = \mathcal{R} \setminus (\mathcal{R} \cap \mathcal{K}) \subseteq \mathcal{R} = \mathcal{J} \setminus \mathcal{I}$. Then, we have

$$I(\mathcal{T}) - I(\mathcal{S}) = \sum_{\pi \subseteq \mathcal{A}, \pi \cap \mathcal{P} \neq \Phi} f(\pi) \leq I(\mathcal{J}) - I(\mathcal{I}) \quad (I)$$

which completes the proof of the sub-modularity of the impact function $I(S)$.

So as to sum up Lemma 1 to a subjective, nonexclusive part in the MULAN family, we first need the accompanying lemma, which says that the set-requesting relationship in a supporting layer is safeguarded through reliance interfaces in every needy layer of MULAN.

V. RESULTS

We exactly assess the proposed OPERA calculations. All tests are intended to answer the accompanying two inquiries:

- Effectiveness: how powerful are the proposed OPERA calculations at streamlining the availability measures (characterized in the proposed SUBLINE family) of a multi-layered system (from the proposed MULAN family)
- Efficiency: how quick and versatile are our calculations



Fig. 5: Output Screen short

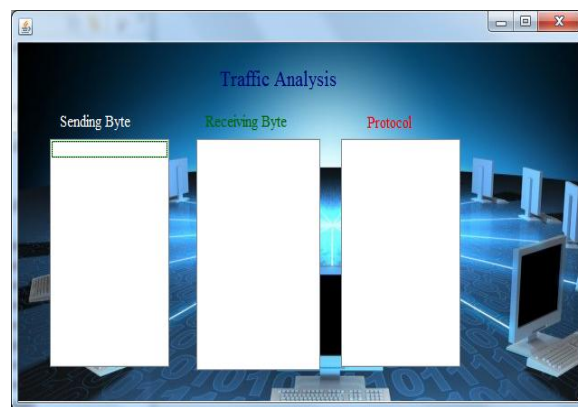


Fig. 6: Output Screen short



Fig. 6: Output Screen short



Fig. 7: Output Screen short

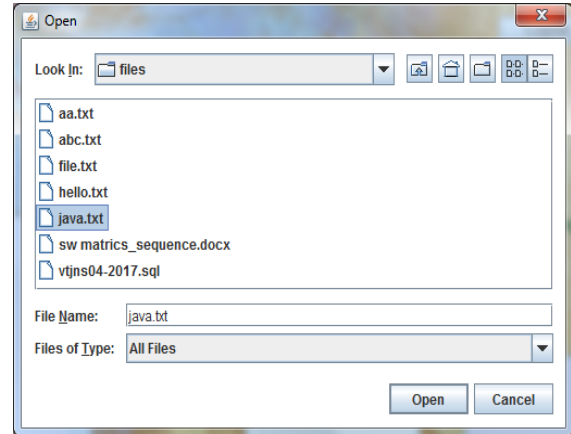


Fig. 10: Output Screen short

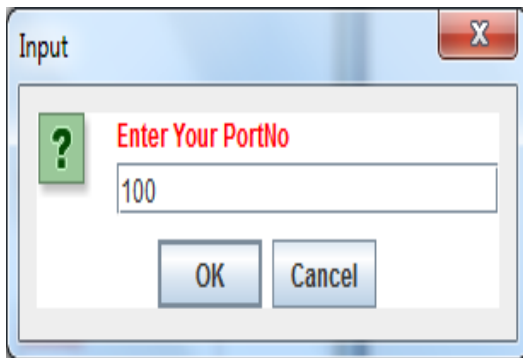


Fig. 8: Output Screen short

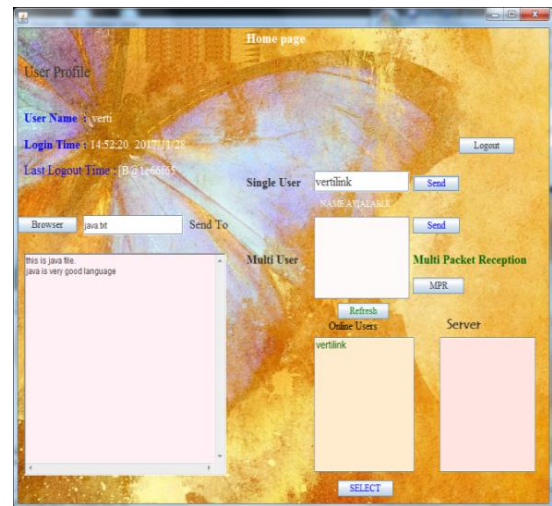


Fig. 11: Output Screen short

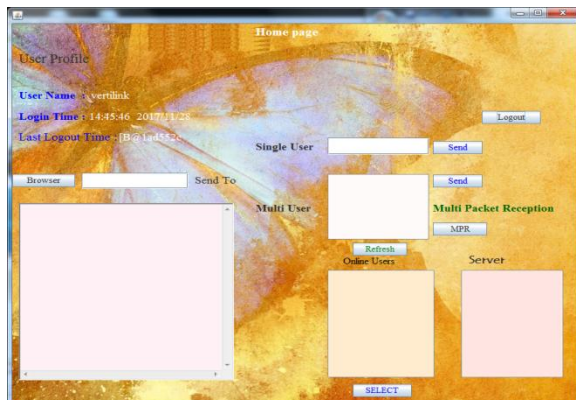


Fig. 9: Output Screen short

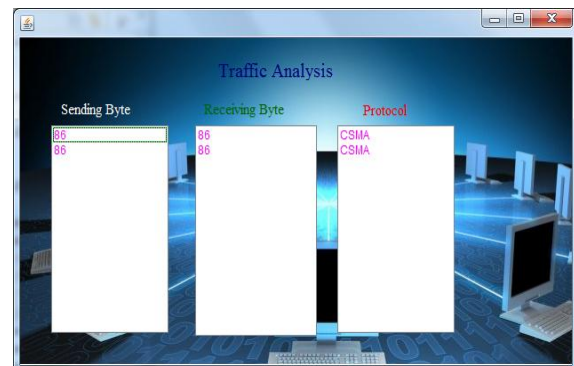


Fig. 12: System Evaluation

VI. CONCLUSION

In this paper, we consider the availability enhancement issue on multi-layered systems (OPERA). Our fundamental commitments are as per the following. In the first place, we bind together a group of pervasive system network measures (SUBLINE). Second, we demonstrate that for any system availability measures in the SUBLINE family, the network advancement issue with the MULAN show appreciates the unavoidable losses property, which normally fits a group of provable close ideal calculations with direct many-sided quality. At long last, we direct broad exact assessments on genuine system information, which approve the viability and proficiency of the proposed calculations.

VII. REFERENCES

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